Leveraging Action Affinity and Continuity for Semi-supervised Temporal Action Segmentation

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THE TASK

Temporal Action Segmentation

- Temporally segments long-range procedural video
- Assigns semantic labels for each segment

1D Analogy of semantic segmentation

Frame-wise annotation for procedural videos is time-consuming

- Number of videos (hundreds if not thousands)
- Temporal span of videos (minutes long)

Semi-supervised only requires

- A small portion of annotated videos (as low as 3)
- A large collection of videos unlabelled (cost free)

Incorporating unlabelled videos for training, factors to consider:

- What action compositions are likely to occur?
- What is a reasonable temporal proportion for each action to take?
- What kind of constraints should the action labels follow?

OBSERVATIONS

Computing

Action Affinity

- Videos performing the same activity will share a similar set of actions

- There exist pairs of videos sharing resembling action temporal portions

Action Continuity

- Action labels stay locally constant and only transit at the actual boundaries.

- Existing models tend to over-segment, leading to over-fragmentation problem

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OBSERVATIONS

Impose the action prior induced from labelled videos to guide the learning of unlabelled samples.

Action frequency (labelled):

$$
q_i(k) = \frac{1}{T_i} \sum_{t}^{T_i} 1\!\!1\,(y_i^t == k); \quad k \in [1, \ldots, K]
$$

Action frequency (unlabelled):

$$
p_j(k) = \frac{1}{T_j} \sum_{t}^{T_j} p_j^t(k); \quad k \in [1, \ldots, K].
$$

Affinity loss w/ KL-Divergence:

$$
\mathcal{L}_{\text{aff}} = \min_{i} \sum_{k} q_i(k) \log \left(\frac{q_i(k)}{p_j(k)} \right)
$$

Mitigate the fragmentation problem in network predictions.

Action Sequence Sub-sampling

Dynamic Time Warping

$$
o = \arg \max_{k} \frac{1}{\omega} \sum_{t=t'}^{t'+\omega} p^{t}(k),
$$

2. Remove adjacent repetitive actions in sampled list

1. Sub-sample actions in time 3. Using the KL-Divergence for cost calculation

$$
d(l,t) = KL(o^l||p^t) = \sum_k o^l(k) \log \left(\frac{o^l(k)}{p^t(k)}\right).
$$

4. Optimize the cost along the optimal path. Identical to classification $\mathcal{L}_{\text{cont}} = \frac{1}{T} \min_{Y} \langle Y, \Delta \rangle = \frac{1}{T} \sum_{i} -\log(p^t(\tilde{y}^t)).$ loss!

ADAPTIVE BOUNDARY SMOOTHING

The adaptive boundary:

- Adopts a sigmoid shape for mixed action probability assignment
	- Faster probability descending speed when approaching the boundary
- Is proportional to the action duration
	- Smoothing in a longer boundary for long actions provides more training samples for adjacent shorter segments

- Smoothing in a shorter boundary for short actions preserves more high confident frames for shorter segments

Action prior by the affinity loss is effective:

- Stand-alone outperforms Pseudo
- Avoid overfitting to the incorrect pseudo labels esp. when data annotation is rather limited.

ABS is generic and applied to the fully supervised setting:

- Two novel loss functions are proposed specifically for the semisupervised learning of temporal action segmentation task.

- The densely labelled videos do not only provide frame-wise semantic action labels, when put together at a video level, they also serve as action priors for a specific procedural task.

- The action boundary itself and the human annotations are ambiguous in pinpointing exact transiting timestamps. Transitional action boundaries can be helpful.

THANKS!